

A Conceptual Framework for Safe Object Initialization

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Examples

```
1 class A {  
2   var y = 42 :: this.x  
3   var x = List()  
4 }
```

```
1 class A {  
2   var x : List[Int] = this.m()  
3  
4   def m() = 42::this.x  
5 }
```

```
1 class A {  
2   var b = new B(this)  
3   var x = List()  
4 }  
5 class B (a:A) {  
6   var y = 42 :: a.x  
7 }
```

Initialization errors

- Early field access
- Early method call
- Incorrect escaping

Key issue

Objects *under initialization* do not fulfill their class specification yet

→ Breaks the key assumption of OOP!

Complex initializations

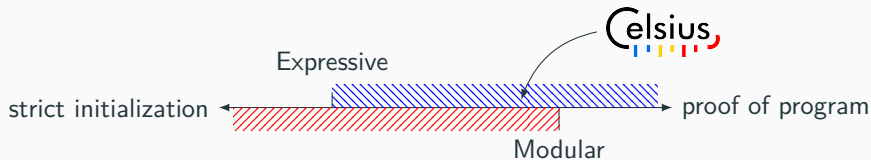
Cyclic data structures

```
1 class A () {
2   var b = new B(this)
3   var c = this.b.c
4 }
5 class B (arg:A) {
6   var a = arg
7   var c = new C(this)
8 }
9 class C (arg:B) {
10  var a = arg.a
11  var b = arg
12 }
```

Early method call

```
1 class Server (a: Address) {
2   var address = a
3   var _ = this.broadcast("Init")
4   ... // other fields
5
6   def broadcast(m: String) = {
7     ... // sends a message
8   }
9 }
```

Design space



Sound

- No access to uninitialized field

Expressive

- Authorize controlled escaping

Modular

- Class-by-class analysis
- Limited footprint

Usable

- Understandable principles
- Inference

In this presentation

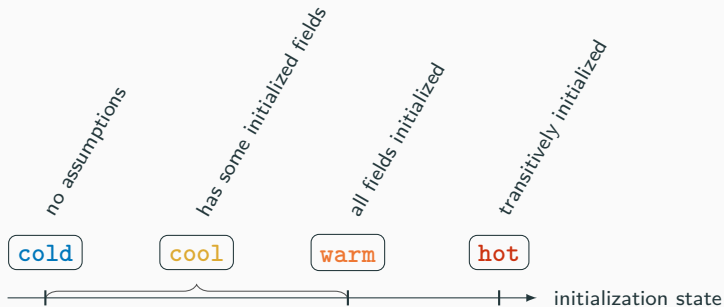
1. The Celsius model of initialization
2. The Core principles
 - High-level, language agnostic
 - Design choices a the minimal calculus with type annotations
3. Local reasoning (overview)

In the paper

- The minimal calculus
- The typing system (with temperature annotations)
- The (modular) soundness proof (based on the principles)
- The Scala implementation
- The Coq artifact

The Celsius Model

The Celsius model



The core principles

Principle 1/4: Monotonicity



Partial monotonicity \preceq

Fields cannot be un-initialized

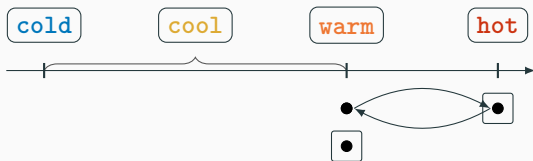
Perfect monotonicity \preceq

Initialization state *of every field* cannot decrease

Design choices (for the calculus)

- No de-initialization (language design)
- Update fields only with hot values (typing)

Principle 2/4: Authority



Local vision of the initialization state might differ between aliases

Authority

State updates are only authorized on a distinguished alias : **this**

Design choices

- Type updates (up to warm) only inside the constructor
- Distinguish 1st assignment / update

Principle 3/4: Stackability



Stackability

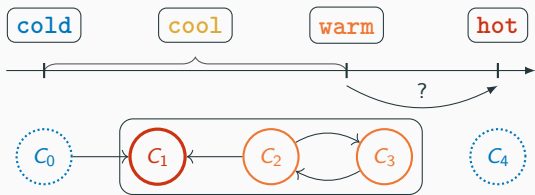
All fields must be initialized at the end of their constructor

→ constructors form a *call stack*

Design choices

- Mandatory field initializers
- No control effects

Principle 4/4: Scopability



Nested/parallel initializations → Control the accessible part of the heap

Scopability

Access to *objects under initialization* must go through controlled channels

Design choices

- No global variables (see Liu 2023)
- Over-approximate reachable objects

Theorem (Local reasoning)

Executing an expression in a hot environment results in a hot object

Proof.

In the resulting memory, accessible objects are either

- new and therefore warm (by stackability)
- old, so already accessible in the execution environment (by scopability), and therefore still hot (by monotonicity and authority)

□

→ gives rises to a typing system with *hot-bypasses*: you can safely ignore initialization issues when handling hot objects

Examples in Celsius syntax

```
1 class A () {
2   var b: B@warm = new B(this)
3   var c: C@warm = this.b.c
4 }
5 class B (arg: A@cold) {
6   var a: A@cold = arg
7   var c: C@warm = new C(this)
8 }
9 class C (arg: B@cool(a)) {
10  var a: A@cold = arg.a
11  var b: B@cool(a) = arg
12 }
```

```
1 class Main () {
2   var a: A@hot = new A()
3   // ignore initialization checks
4 }
```

Take away

A **conceptual framework** for safe initialization

→ *a simple interface to a subtle problem*

- the Celsius model (cold, cool, warm, hot)
- Four language agnostic principles
- Local reasoning

See the paper for precise definitions, typing system, soundness proof, implementation in Scala!



github.com/clementbladeau/celsius

The Celsius calculus

Expressions

$e ::= x$	(Local variable)
this	(Self-reference)
$e.f$	(Field access)
$e.m(\bar{e})$	(Method call)
$\text{new } C(\bar{e})$	(Instance creation)
$e.f \leftarrow e; e$	(Assignment)

Mode

$\mu ::= \text{cold} \mid \text{cool } \bar{f} \mid \text{warm} \mid \text{hot}$

Type

$T ::= C^\mu$

Class

$\mathbb{C} ::= \text{class } C(\overline{x : T})\{\text{fields} = \overline{\mathbb{F}}, \text{methods} = \overline{\mathbb{M}}\}$

Field

$\mathbb{F} ::= \text{var } f : T = e$

Method

$\mathbb{M} ::= @\mu \text{def } m(\overline{x : T}) : T = \{e\}$

Program

$\mathbb{P} ::= \{\text{ct} = \overline{\mathbb{C}}, \text{entry} = \mathbb{C}\}$

Examples in Celsius syntax

```
1 class A () {
2   var b: B@warm = new B(this)
3   var c: C@warm = this.b.c
4 }
5 class B (arg: A@cold) {
6   var a: A@cold = arg
7   var c: C@warm = new C(this)
8 }
9 class C (arg: B@cool(a)) {
10  var a: A@cold = arg.a
11  var b: B@cool(a) = arg
12 }
```

```
1 class Server (a: Address@hot) {
2   var address : Address@hot = a
3   var _ = this.broadcast("Init");
4   ... // other fields
5
6   @cool(address)
7   def broadcast(m: String) = {
8     ... // sends a message
9   }
10 }
```

Store

$$\sigma : l \mapsto (C, \omega)$$

Expressions

$$\llbracket e \rrbracket(\sigma, \rho, \psi) \longrightarrow (v, \sigma')$$

e expression

σ store

ρ local environment (fields)

ψ current object (**this**)

Initialization

$$\text{init}_C(\psi, i, \rho, \sigma) \longrightarrow \sigma'$$

ψ current object (**this**)

i number of initialized fields

ρ local environment (args)

σ store

E-NEW

$$\frac{\begin{array}{l} \llbracket \bar{e}_a \rrbracket(\sigma, \rho, \psi) \longrightarrow (\bar{l}_a, \sigma_1) \quad l_{\text{fresh}} \notin \text{dom}(\sigma_1) \quad \text{args}(C) = \overline{(x : T)} \\ \text{init}_C(l_{\text{fresh}}, 0, (x \mapsto l_a), \sigma_1 \cup \{l_{\text{fresh}} \mapsto (C, \emptyset)\}) \longrightarrow \sigma_2 \end{array}}{\llbracket \text{new } C(\bar{e}_a) \rrbracket(\sigma, \rho, \psi) \longrightarrow (l_{\text{fresh}}, \sigma_2)}$$

E-INIT-CONS

$$\frac{\begin{array}{l} \text{fields}(C)(i) = \text{var } f_i : T = e \quad \llbracket e \rrbracket(\sigma, \rho, \psi) \longrightarrow (l_1, \sigma_1) \\ \sigma_1(\psi) = (C, \omega) \quad \sigma_2 = [\psi \mapsto (C, \omega \cup (f_i \mapsto l_1))] \sigma_1 \\ \text{init}_C(\psi, i + 1, \rho, \sigma_2) \longrightarrow \sigma_3 \end{array}}{\text{init}_C(\psi, i, \rho, \sigma) \longrightarrow \sigma_3}$$

E-INIT-END

$$\text{init}_C(\psi, \text{length}(\text{fields}(C)), \rho, \sigma) \longrightarrow \sigma$$

Typing and soundness

Soundness (1/3)

Definitional interpreter [Amin and Rompf(2017)]

$\llbracket e \rrbracket(\sigma, \rho, \psi, n) = r$ with $r := \text{success}(v, \sigma') \mid \text{error} \mid \text{timeout}$
 $\text{init}_C(\psi, i, \rho, \sigma, n) = r$ with $r := \text{success}(\sigma') \mid \text{error} \mid \text{timeout}$

$$\llbracket e \rrbracket(\sigma, \rho, \psi) \longrightarrow (v, \sigma') \iff \exists n. \llbracket e \rrbracket(\sigma, \rho, \psi, n) = \text{success}(v, \sigma') \quad (1)$$

$$\text{init}_C(\psi, i, \rho, \sigma) \longrightarrow \sigma' \iff \exists n. \text{init}_C(\psi, i, \rho, \sigma, n) = \text{success}(\sigma') \quad (2)$$

Soundness invariant (structure)

$$\left. \begin{array}{l} \llbracket e \rrbracket(\sigma, \rho, \psi, n) = r \\ r \neq \text{timeout} \\ \vdash e : T \end{array} \right\} \implies \exists \sigma', v. \left\{ \begin{array}{l} r = \text{success}(v, \sigma') \\ \vDash v : T \\ \text{Monotonicity} \\ \text{Authority} \\ \text{Stackability} \\ \text{Scopability} \end{array} \right.$$

Reachability and Scopability

Reachability - $\sigma \vDash l \rightsquigarrow l'$

Transitive closure of field access

Scopability - $(\sigma, L) \triangleleft (\sigma', L')$

Every location reachable from L' in σ' is either new or already reachable from L in σ :

$$\forall l \in \text{dom}(\sigma), \sigma' \vDash L' \rightsquigarrow l \implies \sigma \vDash L \rightsquigarrow l$$

Scopability theorem

The heap reachable from the result location v is scoped in the result store σ' by the *execution environment* $(\text{codom}(\rho) \cup \{\psi\})$ in the starting store σ :

$$\llbracket e \rrbracket(\sigma, \rho, \psi) \longrightarrow (v, \sigma') \implies (\sigma, \rho \cup \{\psi\}) \triangleleft (\sigma', \{v\})$$

Typing (1/2) - typing rules

Mode lattice - $\mu \sqsubseteq \mu'$

cold \sqsubseteq cool \bar{f} \sqsubseteq warm \sqsubseteq hot

Typing - $(\Gamma, T_{\text{this}}) \vdash e : T$

- Local environment
- Ambient subtyping
- Stackability (T-E-NEW)
- Monotonicity (T-E-BLOCK)

$$\frac{\text{T-E-VAR} \quad \Gamma(x) = T}{(\Gamma, T_{\text{this}}) \vdash x : T}$$

$$\frac{\text{T-E-THIS}}{(\Gamma, T_{\text{this}}) \vdash \text{this} : T_{\text{this}}}$$

$$\frac{\text{T-E-SUB} \quad (\Gamma, T_{\text{this}}) \vdash e : C^\mu \quad \mu \sqsubseteq \mu'}{(\Gamma, T_{\text{this}}) \vdash e : C^{\mu'}}$$

$$\frac{\text{T-E-FLD} \quad (\Gamma, T_{\text{this}}) \vdash e : D^{\text{cool } \bar{f}} \quad f \in \bar{f} \quad \text{fieldType}(D, f) = T}{(\Gamma, T_{\text{this}}) \vdash e.f : T}$$

$$\frac{\text{T-E-CALL} \quad (\Gamma, T_{\text{this}}) \vdash e : C^\mu \quad \text{lookup}(C, m) = @\mu \text{ def } m : (x : T) \rightarrow T \quad (\Gamma, T_{\text{this}}) \vdash \bar{e}_a : \bar{T}}{(\Gamma, T_{\text{this}}) \vdash e.m(\bar{e}_a) : T}$$

$$\frac{\text{T-E-NEW} \quad \text{ct}(C) = \text{class } C(x : \bar{T}) \{ \dots \} \quad (\Gamma, T_{\text{this}}) \vdash \bar{e} : \bar{T}}{(\Gamma, T_{\text{this}}) \vdash \text{new } C(\bar{e}) : C^{\text{warm}}}$$

$$\frac{\text{T-E-BLOCK} \quad (\Gamma, T_{\text{this}}) \vdash e_1.f : C^\mu \quad (\Gamma, T_{\text{this}}) \vdash e_2 : C^{\text{hot}} \quad (\Gamma, T_{\text{this}}) \vdash e_3 : T}{(\Gamma, T_{\text{this}}) \vdash e_1.f \leftarrow e_2; e_3 : T}$$

Typing (1/2) - typing rules - hot rules

Mode lattice - $\mu \sqsubseteq \mu'$

cold \sqsubseteq cool \bar{f} \sqsubseteq warm \sqsubseteq hot

Typing - $(\Gamma, T_{\text{this}}) \vdash e : T$

- Local environment
- Ambient subtyping
- Stackability (T-E-NEW)
- Monotonicity (T-E-BLOCK)
- Hot shortcuts (also the only way of getting hot objects)

$$\frac{\text{T-E-FLD-HOT} \quad (\Gamma, T_{\text{this}}) \vdash e : D^{\text{hot}} \quad \text{fieldType}(D, f) = C^{\mu}}{(\Gamma, T_{\text{this}}) \vdash e.f : C^{\text{hot}}}$$

$$\frac{\text{T-E-CALL-HOT} \quad (\Gamma, T_{\text{this}}) \vdash e : C_0^{\text{hot}} \quad \text{lookup}(C_0, m) = @\mu \text{ def } m : \overline{(x : D^{\mu})} \rightarrow C^{\mu} \quad (\Gamma, T_{\text{this}}) \vdash \bar{e}_a : \overline{D^{\text{hot}}}}{(\Gamma, T_{\text{this}}) \vdash e.m(\bar{e}_a) : C^{\text{hot}}}$$

$$\frac{\text{T-E-NEW-HOT} \quad \text{ct}(C) = \text{class } C(x : \overline{D^{\mu}}) \{ \dots \} \quad (\Gamma, T_{\text{this}}) \vdash \bar{e} : \overline{D^{\text{hot}}}}{(\Gamma, T_{\text{this}}) \vdash \text{new } C(\bar{e}) : C^{\text{hot}}}$$

Typing (2/2) - Store typing

Store typing - $\Sigma : l \mapsto T$

Prevent cyclic dependencies

Object typing - $\Sigma \vDash (C, \omega) : (C, \mu)$

Lower bound of actual initialization state

Abstraction of the store - $\Sigma \vDash \sigma$

$$\frac{\text{dom}(\sigma) = \text{dom}(\Sigma) \quad \forall l \in \text{dom}(\sigma). \Sigma \vDash \sigma(l) : \Sigma(l)}{\Sigma \vDash \sigma}$$

Environment typing - $\Sigma \vDash \rho : \Gamma$

$$\Sigma \vDash \emptyset : \emptyset \qquad \frac{\Sigma \vDash \rho : \Gamma \quad \Sigma \vDash l : T}{\Sigma \vDash (x \mapsto l) \cup \rho : (x \mapsto T) \cup \Gamma}$$

Soundness (2/3)

$$\left. \begin{array}{l} \llbracket e \rrbracket(\sigma, \rho, \psi, n) = r \\ r \neq \text{timeout} \\ \Sigma \vDash \sigma \\ \Sigma \vDash \rho : \Gamma \\ \Sigma \vDash \psi : T_{\text{this}} \\ \vdash e : T \end{array} \right\} \Rightarrow \exists \sigma', v, \Sigma'. \left\{ \begin{array}{l} r = \text{success}(v, \sigma') \\ \vDash v : T \\ \Sigma' \vDash \sigma' \\ \text{Monotonicity} \\ \text{Authority} \\ \text{Stackability} \\ \text{Scopability} \end{array} \right.$$

Core principles for typing

Monotonicity

$$\Sigma \preceq \Sigma' := \forall l \in \text{dom}(\Sigma). \Sigma'(l) \leq \Sigma(l)$$

Stackability

$$\Sigma \ll \Sigma' := \forall l \in \text{dom}(\Sigma') \setminus \text{dom}(\Sigma). \Sigma' \vDash l : \text{warm}$$

Authority

$$\Sigma \triangleright \Sigma' := \forall l. \Sigma(l) = C^{\text{cool} \bar{f}} \implies \Sigma'(l) = \Sigma(l)$$

Soundness (3/3)

$$\left. \begin{array}{l}
 \llbracket e \rrbracket(\sigma, \rho, \psi, n) = r \\
 r \neq \text{timeout} \\
 \Sigma \vDash \sigma \\
 \Sigma \vDash \rho : \Gamma \\
 \Sigma \vDash \psi : T_{\text{this}} \\
 (\Gamma, T_{\text{this}}) \vdash e : T
 \end{array} \right\} \implies \exists \sigma', v, \Sigma'. \left\{ \begin{array}{l}
 r = \text{success}(v, \sigma') \\
 \Sigma' \vDash \sigma' \\
 \Sigma' \vDash v : T \\
 \Sigma \preceq \Sigma' \\
 \Sigma \triangleright \Sigma' \\
 \Sigma \ll \Sigma'
 \end{array} \right. \quad (3)$$

$$\left. \begin{array}{l}
 \text{init}_C(\psi, i, \rho, \sigma, n) = r \\
 r \neq \text{timeout} \\
 \Sigma \vDash \sigma \\
 \Sigma \vDash \rho : \Gamma \\
 \Sigma(\psi) = \text{cool} \{f_0, \dots, f_{i-1}\} \\
 \Gamma <: \Gamma_a
 \end{array} \right\} \implies \exists \sigma', \Sigma'. \left\{ \begin{array}{l}
 r = \text{success}(\sigma') \\
 \Sigma' \vDash \sigma' \\
 \Sigma \preceq \Sigma' \\
 \Sigma \ll \Sigma' \\
 \left[\psi \mapsto C^{\text{cool}(\text{fields}(C))} \right] \Sigma \triangleright \Sigma'
 \end{array} \right.$$

Theorem (Program Soundness)

A well typed program cannot run into an error

$$\vdash \mathbb{P} \implies \forall n, \llbracket \mathbb{P} \rrbracket(n) \neq \text{error} \quad (5)$$

Conclusion

- Four principles for the safe initialization of objects
 - Monotonicity (invariants progress)
 - Authority (distinguished alias)
 - Stackability (all fields initialized at the end of the constructor)
 - Scopability (control the access to un-initialized objects)
- A minimal calculus to illustrate the principles
- A modular proof, mechanized in Coq